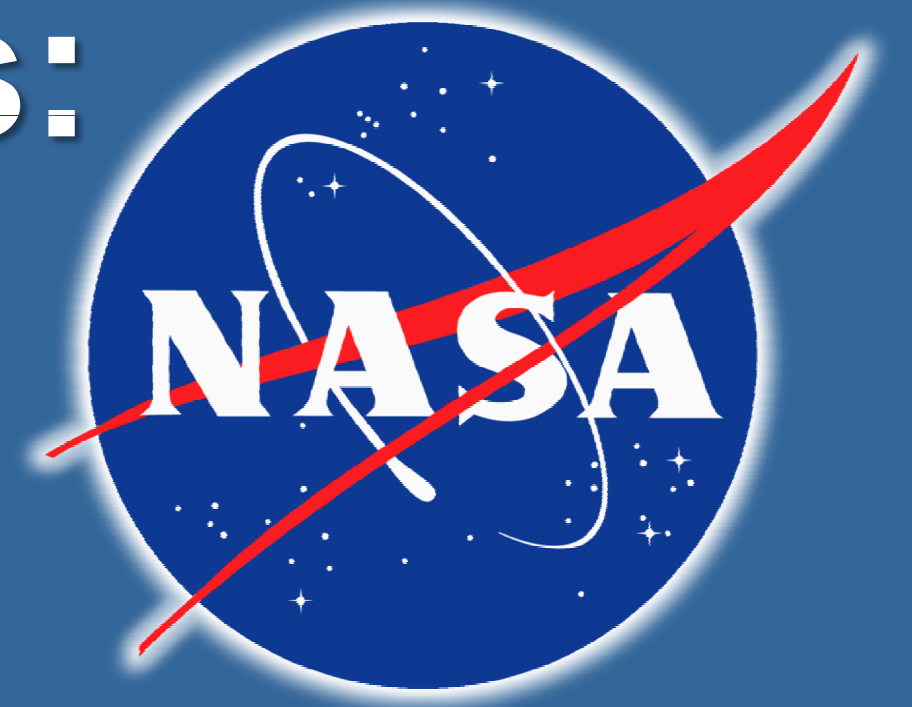




# Physics-based Modeling for Prognostics: Application to Solenoid Valves

Matthew Daigle and Kai Goebel  
Prognostics Center of Excellence, NASA ARC



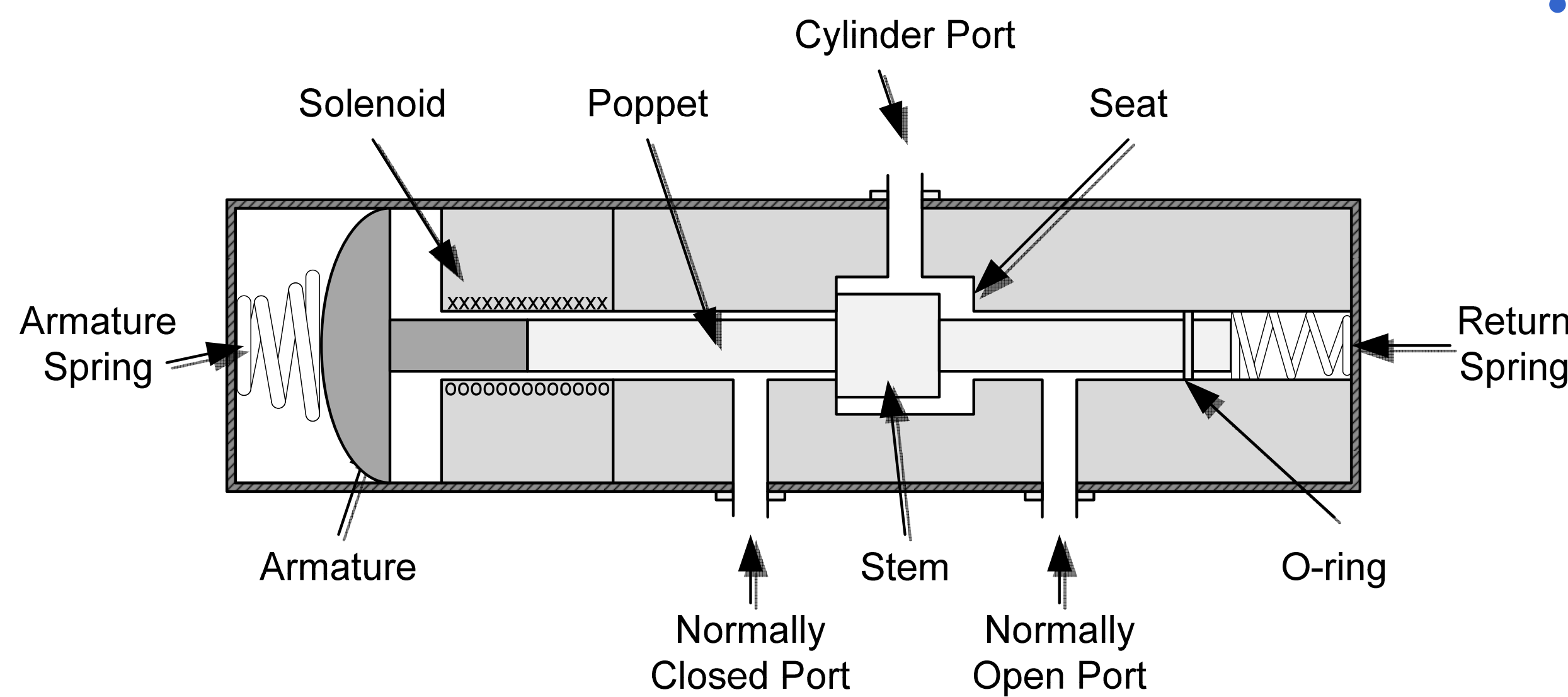
## Overview

### Why physics-based models?

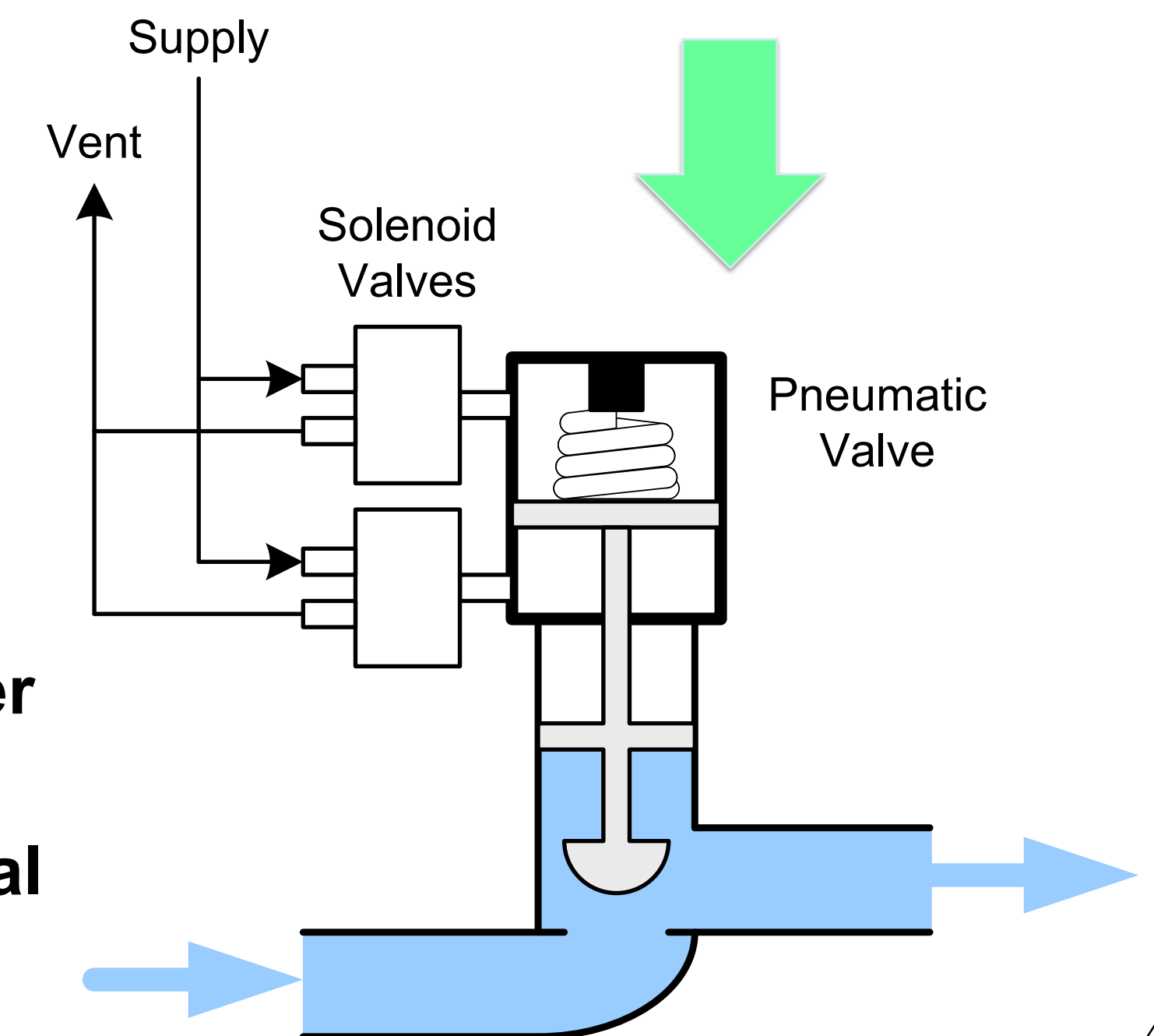
- Realistic degradation models provide more accurate life predictions
- Generate high-fidelity simulation data to test prognosis algorithms
- Ideal for estimation-based prognosis schemes

### Solenoid valves

- Widely used in many domains, including space and aeronautics
- Often used in pneumatic systems for actuating other components
- Complex electromechanical system



Failures may cause loss of redundancy, delay of operations, termination of operations, or vehicle damage



## Methodology

### First-principles model

**Solenoid**

$$\dot{i}(t) = \frac{1}{L(x)} \left( u(t) - Ri(t) - i(t) \frac{\partial L(x)}{\partial x} \dot{x}(t) \right)$$

$$F_s(i, x) = \frac{1}{2} i^2 \frac{\partial L(x)}{\partial x}$$

**Poppet**

$$\dot{v}(t) = \frac{1}{m} (F_a(t) + F_s(t) + F_{NC}(t) - F_f(t) - F_{NO}(t) - F_r(t))$$

$$\dot{x}(t) = v(t)$$

### Gas flow (subsonic)

$$\dot{m} = CA \sqrt{2\rho_1 p_1 \left( \frac{k}{k-1} \right) \left( (p_2/p_1)^{2/k} - (p_2/p_1)^{(k+1)/k} \right)}$$

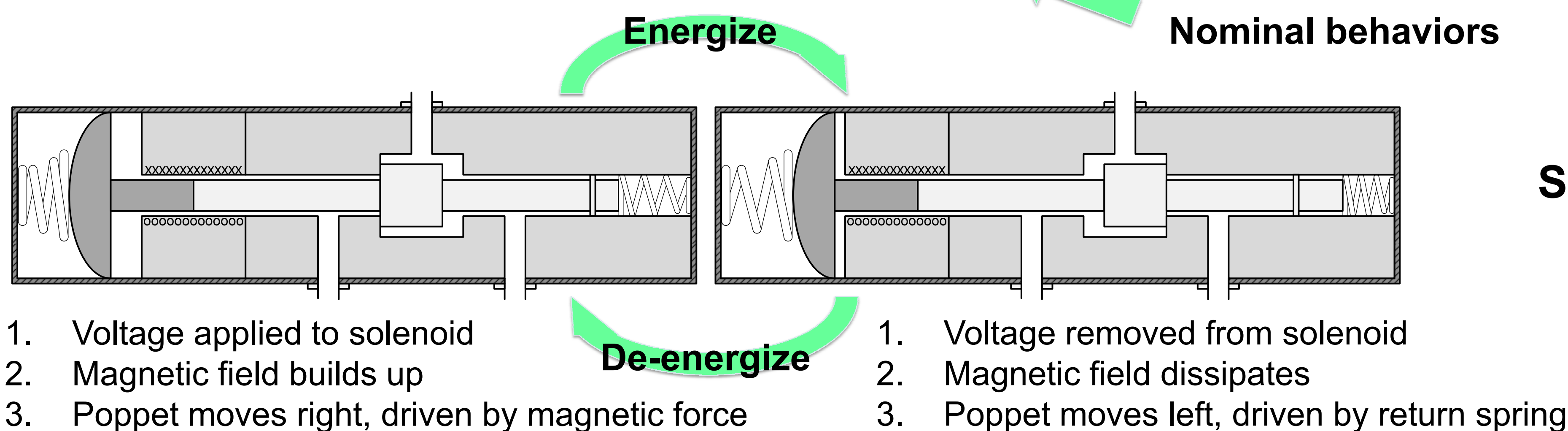
### Wear and degradation models

#### Primary

- Sliding wear**  
Function of sliding force and velocity  
 $\dot{w}_s(t) = K_s F_f(t) v(t)$
- Impact wear**  
Function of impact energy  
 $\dot{w}_i(t) = K \left( \frac{1}{2} m v(t)^2 \right)^n \delta(t), t = \text{impact}$

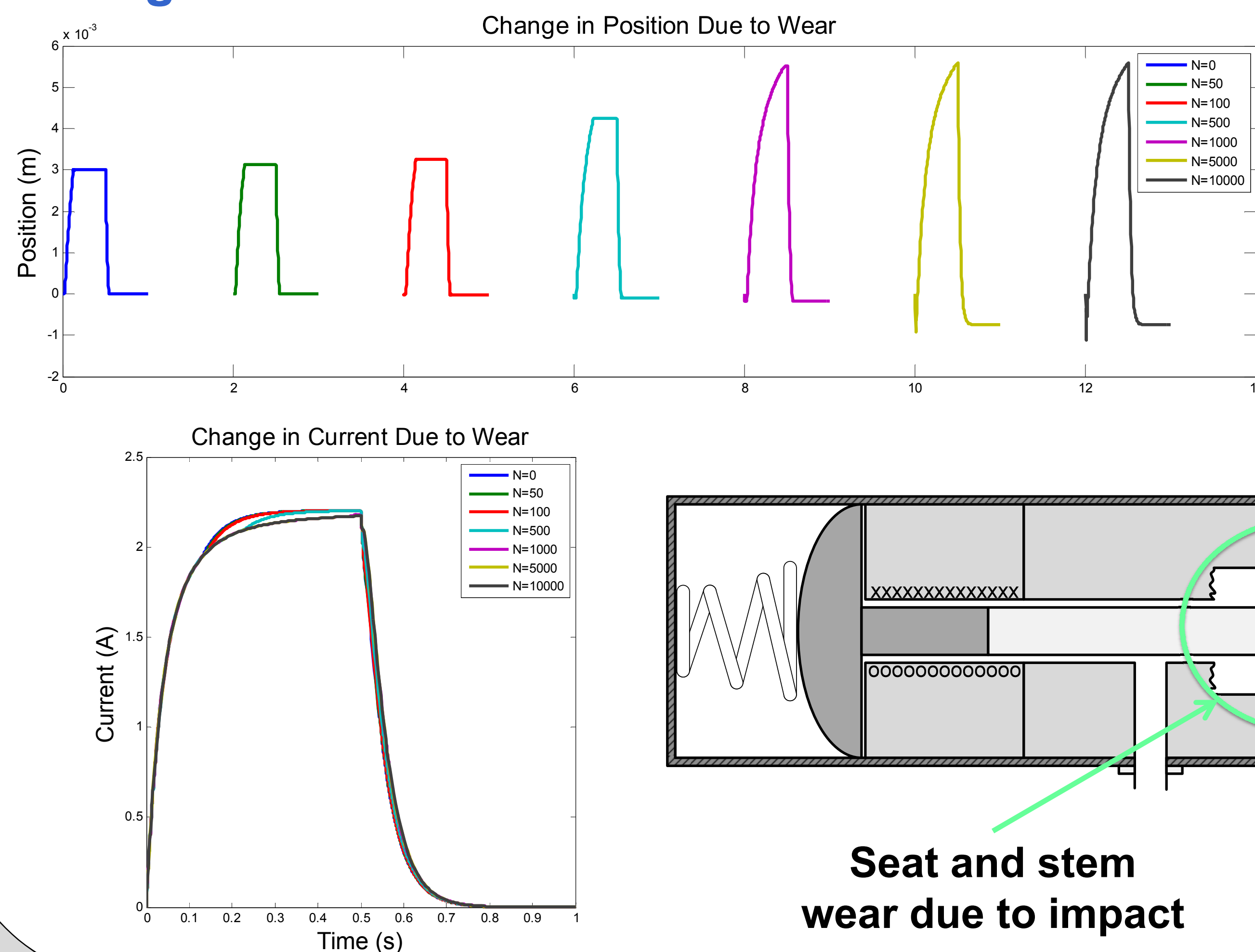
#### Secondary

- Coil insulation breakdown**
  - Corrosion**
- Change magnetic field  
Change force balance  
Change gas flow



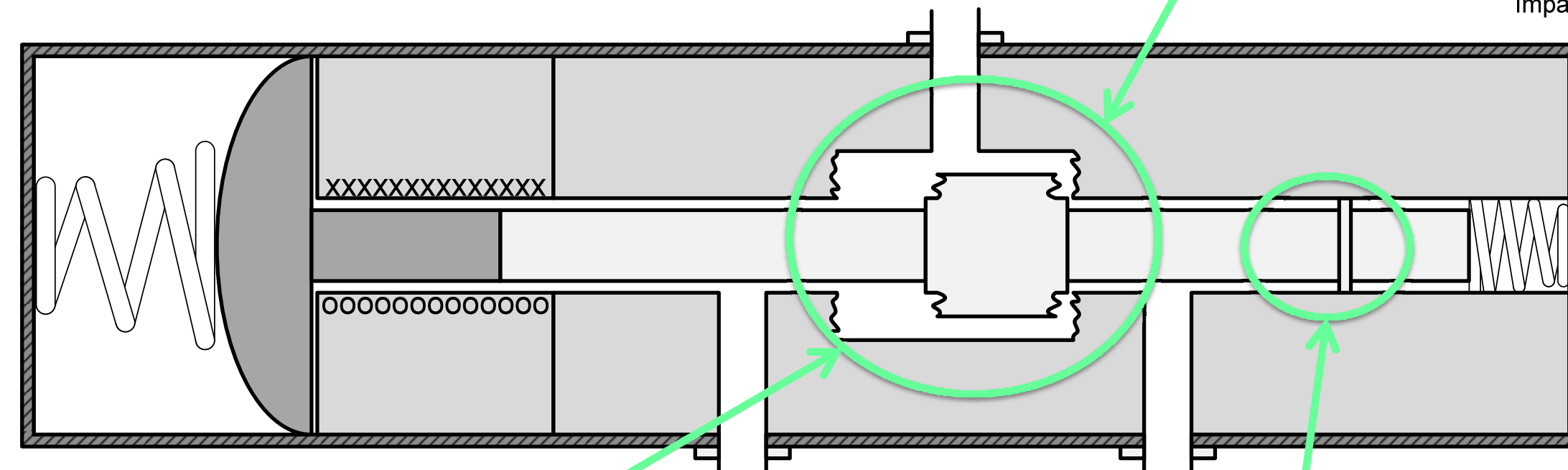
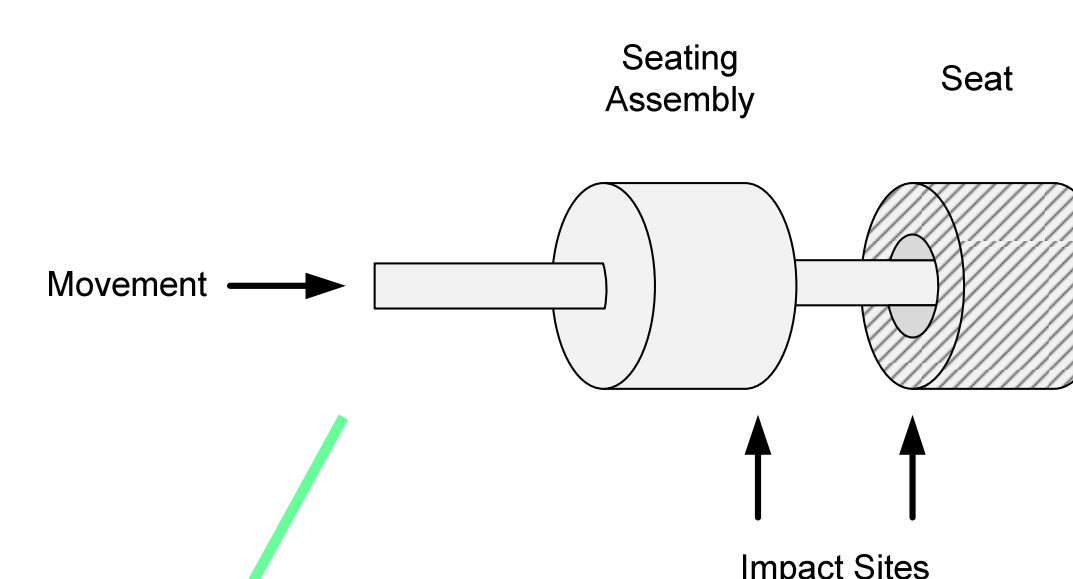
## Results

### Long-term Effects of Wear



### Change in seat geometry results in

- Incomplete actuation
- Slower response



Seat and stem wear due to impact

Leak formation due to sliding wear

